

### External 32.768 kHz Oscillator Circuits

An external 32.768 kHz clock is an essential part of any Rabbit-based system. Besides driving the real-time clock, the 32.768 kHz clock is used by various processor and peripheral subsystems that are used extensively by Dynamic C software. It is therefore recommended that an external 32.768 kHz oscillator circuit always be implemented. It is possible to operate the Rabbit without a 32.768 kHz clock, but several key features will not be available. Without the 32.768 kHz clock, the real-time clock, the watchdog timer, the periodic interrupt, and asynchronous remote bootstrap will not function. Neither will any of the low-power features that run off the 32.768 kHz clock.

Figure 1 shows a basic schematic of the type of CMOS crystal oscillator used in Rabbit based products.

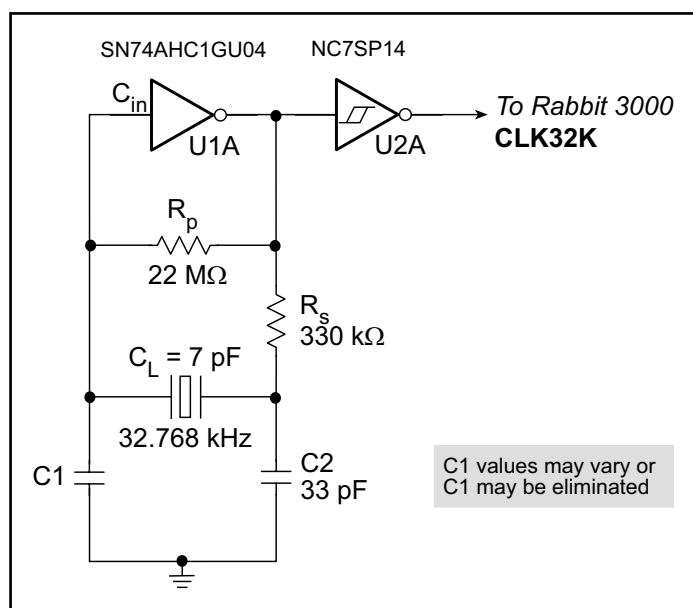


Figure 1. Basic 32.768 kHz Oscillator Circuit

**NOTE:** The value of C1 may vary from system to system, or C1 may be completely eliminated depending on the crystal C<sub>L</sub>, the amount of frequency deviation from 32.768 kHz, and the measured drive through the crystal.

The oscillator is constructed using low-cost single-gate logic. An unbuffered gate is used for the oscillator because buffered inverters have a tendency to oscillate at higher frequencies and are prone to startup problems. The output of the oscillator is fed to the Rabbit through a Schmitt trigger buffer. The Schmitt trigger serves two primary functions. First, it prevents power supply or high-frequency switching noise (primarily from address lines) from getting coupled into the slow rising clock signal generated by the oscillator; and second, it buffers the output of the oscillator to generate fast rising/falling square waves with 4 ns rise/fall times.

## Typical Rabbit 3000 Oscillator and Battery-Backup Circuit

Figure 2 shows the 32.768 kHz oscillator and a battery-backup circuit implemented in a typical Rabbit-3000-based system.

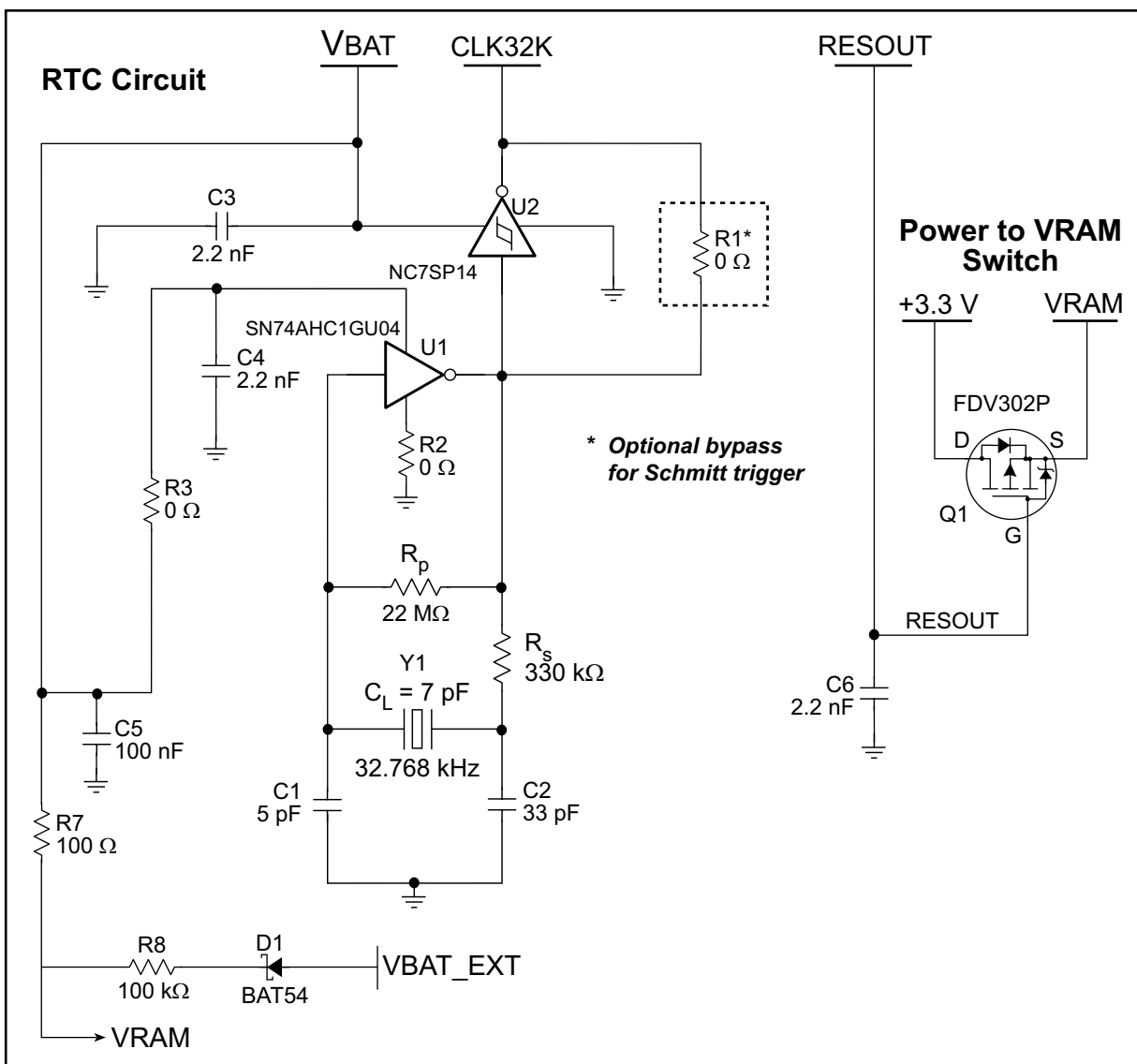


Figure 2. 32.768kHz Oscillator and Battery-Backup Circuit for Rabbit-3000-Based Systems

## Component Selection Guidelines

### $R_p$

The bias resistor,  $R_p$ , biases the oscillator buffer (amplifier) to operate in the linear region ( $V_{DD}/2$ ). When biased this way, the amplifier has a high gain and will oscillate at the specified frequency. The recommended value for  $R_p$  is between 10 M $\Omega$  and 25 M $\Omega$ . As the value of  $R_p$  increases, the gain of the amplifier will also increase, enabling the oscillator to start faster and continue operating at a lower voltage.

$R_p$  also limits the short-circuit current when the CMOS gate is switching and thus the overall current consumption.

It is important to note that the 32.768 kHz oscillator circuit draws a very low operating current and has a high input impedance. The circuit is thus susceptible to noise from nearby high-speed switching traces and board level contaminants such as dirt and moisture. It is therefore necessary to protect the oscillator circuit from high-speed switching signals by keeping the oscillator traces short and using guard traces and copper pours appropriately. Furthermore, the exposed circuit traces should be conformally coated to protect the circuit from environmental contaminants. Refer to technical Note TN303, *Conformal Coating*, for more information.

### $R_s$

The purpose of  $R_s$  is to increase the output impedance of the oscillator buffer and limit its drive current.  $R_s$  also affects the amplitude of the voltage swing going into the crystal, and is thus limited by the operating voltage. The value of  $R_s$  has to be large enough to prevent the crystal from being overdriven, but not too large to kill the swing going back into the oscillator. An excessively large  $R_s$  may also cause the circuit to oscillate at an overtone other than that of the fundamental frequency.

Moderate overdrive of the crystal may be acceptable. However, excessive overdrive may increase the aging of the crystal and may possibly damage the crystal.

It is somewhat difficult to predict a suitable value for  $R_s$  with which to begin. As a starting point, select a value for  $R_s$  such that it has the same impedance as C2 at the operating frequency. From this point, the value can then be modified to achieve the desired drive level or voltage swing:

$$R_s = \frac{1}{2\pi f_{osc} * C2}$$

## C1, C2

For parallel resonant circuits, the phase shift/load capacitors provide the phase shift and load capacitance necessary for the oscillator to operate at the tuned frequency. The values of C1 and C2 can be modified to adjust the oscillator frequency.

The value of the load capacitors can be calculated in the following manner.

$$C_L = \frac{(C1 + C_{in}) * C2}{(C1 + C_{in}) + C2} + C_s$$

In the above equation,  $C_{in}$  represents the input capacitance of the oscillator buffer (roughly 6 to 6.5 pF),  $C_L$  represents the specified load capacitance of the parallel resonant frequency crystal, and  $C_s$  represents the stray circuit capacitance, which is usually in the range of 2 to 5 pF. Note that  $C_{in}$  is not constant, but rather is a function of frequency—any measurements of  $C_{in}$  should be done using a sine wave generator operating at 32.768 kHz.

Ideally C1 and C2 would have equal values because the inverter output introduces a phase shift of 180° and the combination of C1, C2, and the crystal would provide the additional 180° phase shift required for the phase shift of the loop to equal 360°. However, in reality, the inverter also introduces a phase delay, which creates a phase shift that is somewhat greater than 180°. The capacitors compensate for this phase difference by changing their impedance. This change in impedance can only occur if the circuit oscillates at a slightly higher frequency than that of the series resonant frequency of the crystal, which is about 32.765 kHz. In effect, the capacitors pull the oscillation frequency. The capacitors serve several functions.

- First and foremost, they provide the appropriate load capacitance for the crystal to oscillate at the correct frequency.
- The capacitors provide the correct amount of phase shift for the circuit to oscillate. Note that oscillation will not occur if the loop gain is not greater than 1 and if the loop phase shift does not add up to 360°.
- The RC circuit and the input capacitance of the oscillator buffer control the swing into the buffer, and the input side capacitance also affects the crystal drive. This affects the power consumption and the maximum operating voltage.
- The capacitors are used to tune the crystal frequency. This is called pullability and is a function of the load capacitors.

## Crystal

The 32.768 kHz crystal used in Rabbit-based systems is the same type of crystal as the tuning-fork quartz crystals used in wristwatches. Table 1 outlines the specifications for these 32.768 kHz crystals.

**Table 1. 32.768 kHz Crystal Specifications**

Type	—	Through Hole or SMD Tuning-Fork Crystal
Nominal Frequency	F	32.768 kHz
Frequency Tolerance at +25°C	df/F	± 20 ppm
Load Capacitance	C <sub>L</sub>	7.0–12.5 pF
Series Resistance	RS	50 kΩ (max.)
Drive Level	P	1 μW (max.)
Quality Factor	Q	50,000 (min.)
Turnover Temperature	TT	+ 25°C ± 5°C
Parabolic Curvature Constant	K	-0.04 ppm/°C <sup>2</sup> (max.)
Shunt Capacitance	C0	1.4 pF (typical)
Capacitance Ratio	C0/C1	~400 (typical)
Motional Capacitance	C1	0.0035 pF (typical)
Aging	df/F	First year: ± 3 ppm max. at +25°C
Operating Temperature Range	T0	-40°C to +85°C
Storage Temperature Range	TS	-50°C to +125°C
Shock	df/F	5 ppm max.
Vibration	df/F	3 ppm max.
Cut	—	X-Cut

X-cut crystals have a parabolic temperature curve. The maximum frequency variation in tuning-fork crystals is roughly -0.04 ppm/°C<sup>2</sup>. The frequency tolerance at 25°C is typically ± 20 ppm.

### Frequency drift per day at 85°C

According to the parabolic temperature curve, the change in frequency at +85°C is -144 ppm.

Since 1 day = 86400 seconds,

$$86400 \text{ seconds/day} * (-144 \text{ ppm}) = -12.44 \text{ seconds/day}$$

### Frequency drift per day at -45°C

According to the parabolic temperature curve, the change in frequency at -45°C is -196 ppm.

$$86400 \text{ seconds/day} * (-196 \text{ ppm}) = -16.93 \text{ seconds/day}$$

**NOTE:** The -0.04ppm/°C<sup>2</sup> parabolic curvature constant is a maximum value. Actual tests of the crystal yield a drift of -140 ppm (-12.13 seconds/day) at the temperature extremes (-40°C and +85°C).

## Crystal Drive Level

Typical 32.768 kHz crystals are specified for a maximum drive level of 1  $\mu$ W. A modest over-drive, perhaps 100% over this limit, will most likely not have any adverse effect except to cause the crystal to age more rapidly. Aging in a crystal is exhibited as a gradual change of frequency, about 3 parts per million, and is most significant in the first few months of operation.

The drive power can be computed from  $P = (I^2) * R$ , where I is the rms AC current and R is the effective resistance of the crystal. Typical values for R are 25 k $\Omega$  for 32.768 kHz turning-fork crystals. Maximum values are often specified as 35 k $\Omega$  or 50 k $\Omega$ . If the effective resistance is 25 k $\Omega$ , then 1  $\mu$ W of power is reached when  $I = 6.3 \mu$ A (rms). It is logical to use the typical effective resistance rather than the maximum total resistance in computing drive-power. If a particular crystal has a higher resistance, it requires more power to sustain the same amplitude of physical flexure of the quartz. This indicates that the stress on the quartz will not be greater even though the drive power is greater for a unit that happens to have an effective resistance of 35 k $\Omega$  rather than the typical value of 25 k $\Omega$ .

In calculating the current through the crystal, the output capacitance of the buffer is not relevant because the resistor  $R_s$  isolates it from the crystal. C1, however, is very important. If C1 is made smaller, this will increase the voltage swing on the gate input of the oscillator buffer and will allow the oscillator to operate at a lower voltage. This oscillator will start at about 1.2 V and operate down to about 0.75 V.

The current can be measured directly with a sensitive current probe, but it is easier to calculate the current by measuring the voltage swing at the gate input with a low-capacitance oscilloscope probe. The rms voltage at this point is related to the rms current by the relationship

$$I = V_{\text{rms}} * \omega * C_{\text{tot}}$$

where

$$C_{\text{tot}} = C1 + C_{\text{In}} + C_{\text{probe}}$$

$$\omega = 2\pi(32768)$$

$$V_{\text{rms}} = 0.707(V_{\text{p-p}})$$

If  $C_{\text{tot}} = 12$  pF (assuming  $C_{\text{probe}} = 1$  pF) and the effective resistance is 25 k $\Omega$ , then the current in ( $\mu$ A) and the drive power in ( $\mu$ W) are given by the following approximation.

$$I = 2.5 * V_{\text{rms}}$$

$$P = 0.1 * (V_{\text{rms}})^2$$

or

$$I = 1.75 * V_{\text{p-p}}$$

$$P = .05 * (V_{\text{p-p}})^2$$

Based on the above equations and calculations,

$$P = 0.65 \text{ mW for a } 3.6 \text{ V (p-p) swing, and}$$

$$P = 0.45 \text{ mW for a } 3.0 \text{ V (p-p) swing.}$$

From the above analysis it is clear that the value of C1 greatly affects the crystal drive level. The value of C1 depends on the crystal load capacitance,  $C_L$ . For this reason, Rabbit-based systems use crystals with low  $C_L$  requirements. Currently, Rabbit-3000-based systems use crystals with a load capacitance of 7 pF.

## Summary of Values for Rabbit-Based 32.768 kHz Oscillators

Component	Value	Notes
$R_p$	10–25 M $\Omega$	Affects gain
$R_s$	330–680 k $\Omega$	Limits drive current (crystal-drive level ~ 1 $\mu$ W)
$C_L$	6.0–12.5 pF	Parallel resonant crystal load capacitance
C1	0–15 pF	The values can be used to tune the oscillator frequency, and may vary depending on the crystal load capacitance used. Appropriate values can be determined through calculations and optimized through experimentation.
C2	15–33 pF	

## Approved Manufacturers List

Component	Manufacturer	Part Number	Contact
Crystal	ECS	ECS-0327-6-17	<a href="http://www.ecsxtal.com">http://www.ecsxtal.com</a>
	ILSI	IL3R-HX5F7-32.768	<a href="http://www.ilsiamerica.com">http://www.ilsiamerica.com</a>
	Seiko Instruments	SSPT7-.032768-7pF	<a href="http://www.siielctroniccomponents.com">http://www.siielctroniccomponents.com</a>
Unbuffered Inverter	Texas Instruments	SN74AHC1GU04DBVR	<a href="http://www.ti.com">http://www.ti.com</a>
	Fairchild Semiconductor	NC7SU04M5 NC7SZU04P5	<a href="http://www.fairchildsemi.com">http://www.fairchildsemi.com</a>
	On Semiconductor	NL17SZU04DF	<a href="http://www.onsemi.com/home">http://www.onsemi.com/home</a>
Schmitt Trigger	Fairchild Semi.	NC7SP14P5	<a href="http://www.fairchildsemi.com">http://www.fairchildsemi.com</a>

## References

Marvin E. Ferking, *Crystal Oscillator Design and Temperature Compensation*, Van Norstrand Reinhold Company, New York, 1978.

Benjamin Parzen, *Design of Crystal and other Harmonic Oscillators*, John Wiley and Sons, Inc., New York, 1983.

Norman L. Rogers, Rabbit Semiconductor.

David Salt, *HY-Q Handbook of Quartz Crystal Devices*, Van Norstrand Reinhold (UK) Co. Ltd., 1987.

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